

An Integrated Symmetric Key Cryptographic Method – Amalgamation of TTJSA Algorithm, Advanced Caesar Cipher Algorithm, Bit Rotation and Reversal Method: SJA Algorithm

Somdip Dey

Department of Computer Science, St. Xavier's College [Autonomous], Kolkata, India.
Email: somdip007@hotmail.com

Joyshree Nath

A.K. Chaudhuri School of IT, Calcutta University, Kolkata, India.
Email: joyshreenath@gmail.com

Asoke Nath

Department of Computer Science, St. Xavier's College [Autonomous], Kolkata, India.
Email: aokeyoy1@gmail.com

Abstract—In this paper the authors present a new integrated symmetric-key cryptographic method, named SJA, which is the combination of advanced Caesar Cipher method, TTJSA method, Bit wise Rotation and Reversal method. The encryption method consists of three basic steps: 1) Encryption Technique using Advanced Caesar Cipher, 2) Encryption Technique using TTJSA Algorithm, and 3) Encryption Technique using Bit wise Rotation and Reversal. TTJSA Algorithm, used in this method, is again a combination of generalized modified Vernam Cipher method, MSA method and NJJSA method. Nath et al. already developed some symmetric key encryption methods namely MSA, DJSA, DJJSA, modified DJJSA, NJJSA, TTJSA, TTSJA, DJMNA, UES-I, UES-II etc. The cryptanalysis shows that TTJSA is free from standard cryptographic attacks such as differential attack, plain text attack or any brute force attack. In the present method the authors have used advanced modified Caesar Cipher method where the authors have modified the standard Caesar Cipher method and then they applied TTJSA method to make the entire crypto system very hard to break. The present method has been tested on different plain text specially with repeated character and the spectral analysis of the plain text and the encrypted is also been shown. The spectral analysis shows that the present cryptography method, SJA can not be broken with any kind of standard cryptography attack. The authors propose that the present method will be most suitable for password, SMS or any kind of small message encryption.

Index Terms—Caesar Cipher, TTJSA, MSA, NJJSA, UES, DJMNA, Cryptography

I. INTRODUCTION

Due to tremendous growth in communication technology now the security of data is a really a big issue.

In banking system the data must be fully secured. Under no circumstances the authentic data should go to hacker. In defense the security of data is much more prominent. The leakage of data in defense system can be highly fatal and can cause too much destruction. Due to this security issue different cryptographic methods are used by different organizations and government institutions to protect their data online. But, cryptography hackers are always trying to break the cryptographic methods or retrieve keys by different means. For this reason cryptographers are always trying to produce different new cryptographic method to keep the data safe as far as possible.

The cryptographic methods can be divided into two types: (i) symmetric key cryptography, where the same key is used for encryption and for decryption purpose. (ii) Public key cryptography, where we use one key for encryption and one key for decryption purpose.

Symmetric key algorithms are well accepted in the modern communication network. The main advantage of symmetric key cryptography is that the key management is very simple. Only one key is used for both encryption as well as for decryption purpose. There are many methods of implementing symmetric key. In case of symmetric key method, the key should never be revealed /disclosed to the outside world or to other user and should be kept secure. The key should be known to sender and the receiver only and no one else.

The present algorithm i.e. SJA is also symmetric key cryptographic method, which is basically based on advanced modified Caesar Cipher method [1], TTJSA [2], which itself is based on generalized modified Vernam Cipher [2], MSA [3] and NJJSA [4], and Bit Wise Rotation and Reversal Technique, which is developed from Bit Reversal technique [13] invented by Panduranga H. T. and Naveenkumar S. K. Depending on the key

entered by the user the functions of generalized modified Caesar Cipher and TTJSA are called randomly and then executed, and at last Bit Wise Rotation and Reversal technique will be executed on the final step to make the encryption more strong. In the present paper we have also introduced multiple encryption as well as multiple decryption method.

II. ALGORITHM USED IN THE PRESENT WORK

In this method the authors apply a advanced form of Caesar Cipher [1] cryptographic method. In cryptography, a Caesar cipher, also known as a Caesar's cipher or the shift cipher or Caesar's code or Caesar shift, is one of the simplest and basic known encryption techniques. It is a type of replacement cipher in which each letter in the plaintext is replaced by a letter with a fixed position separated by a numerical value used as a "key". But, in this method, SJA, any character (ASCII value 0-255) are not separated by a fixed numerical value, in fact it is a variable numerical value, which is dependent on a non-linear polynomial function.

This present method is achieved by executing following two methods in random:

- (i) ENCRYPT THE DATA USING GENERALIZED MODIFIED CAESAR CIPHER METHOD
- (ii) ENCRYPT DATA USING TTJSA METHOD
- (iii) ENCRYPT THE DATA USING BIT WISE ROTATION REVERSAL TECHNIQUE

In the present method, SJA, the user enters a secret key called as password and from that key we generate unique codes, which are successively used to encrypt the message. For decryption purpose we use just reverse process to get back the original plain text. During decryption the user has to enter the same secret key otherwise the decryption will not be successful. Now we will describe in detail the encryption procedure.

A. Encryption of data using modified Caesar Cipher:

1) *Generation of Code and power_ex from the Secret Key*

The key is provided by the user in a string format and let the string be 'pwd[]'. From the given key we generate two numbers: 'code' and 'power_ex', which will be used for encrypting the message. First we generate the 'code' from the pass key.

Generation of code is as follows:

To generate the code, the ASCII value of each character of the key is multiplied with the string-length of the key and with 2^i , where 'i' is the position of the character in the key, starting from position '0' as the starting position. Then we sum up the resultant values of each character, which we got from multiplying, and then each digit of the resultant sum are added to form the 'pseudo_code'. Then we generate the code from the pseudo_code by doing modular operation of pseudo_code by 16, i.e.

$code = \text{Mod}(\text{pseudo_code}, 16)$.

If $code=0$, then we set $code = \text{pseudo_code}$

The Algorithm for this is as follows:

Let us assume, $pwd[] = \text{key inserted by user}$

$pp = 2^i, i=0,1,2,\dots,n; n \in \mathbb{N}$.

Note: i can be treated as the position of each character of the key.

Step-1 : $p[] = \text{pwd}[]$

Step-2 : $pp = 2^i$

Step-3 : $i=0$

Step-4 : $p[i] = \text{pwd}[i];$

Step-5 : $p[i] = p[i] * \text{strlen}(\text{pwd}) * pp;$

Step-6: $csum = csum + p[i];$

Step-7: $i=i+1$

Step-8: if $i < \text{length}(\text{pwd})$ then go to step-4

Step-9: if $csum \neq 0$ then go to Step-10 otherwise go to Step-14

Step-10: $c = \text{Mod}(csum, 10)$

Step-11: $\text{pseudo_code} = \text{pseudo_code} + c;$

Step-12: $csum = \text{Int}(csum / 10)$

Step-13: Go to step-9

Step-14: $code = \text{Mod}(\text{pseudo_code}, 16)$

Step-15: End

Note: $\text{length}(\text{pwd}) = \text{number of characters of the secret key } \text{pwd}[]$.

The 'power_ex' is calculated as follows:

We generate power_ex from the pseudo_code generated from the above method. We add all the digits of the pseudo_code and assign it as temporary_power_ex. Then we do modular operation on temporary_power_ex with code and save the resultant as power_ex. i.e. $\text{power_ex} = \text{Mod}(\text{temporary_power_ex}, \text{code})$

If $\text{power_ex} = 0$ OR $\text{power_ex} = 1$, then we set $\text{power_ex} = \text{code}$.

For example, if we choose the password, i.e. the key to be 'hello world'.

Then,

$\text{length of pwd} = 11$

$code = 10$

$\text{power_ex} = 4$

Thus, we generate code and power_ex from the key provided by the user.

2) *Encrypting the Message using code and power_ex*

Now we use the code and power_ex, generated from the key, to encrypt the main text (message). We extract the ASCII value of each character of the text (message to be encrypted) and add the code with the ASCII value of each character. Then with the resultant value of each character we add the $(\text{power_ex})^i$, where i is the position of each character in the string, starting from '0' as the starting position and goes up to n, where n=position of end character of the message to be encrypted, and if position = 0, then $(\text{power_ex})^i = 0$.

It can be given by the formula:

$\text{text}[i] = \text{text}[i] + \text{code} + (\text{power_ex})^i$

If $\text{text}[i] > 255$ then $\text{text}[i] = \text{Mod}(\text{text}[i], 256)$: 'i' is the position of each character in the text and text[] is the message to be encrypted, where text[i] denotes each character of the text[] at position 'i'.

For example, if the text to be encrypted is 'cccc' and key=hello world, i.e. text[]=cccc and pwd=hello world, then

$$c^0 \rightarrow 99+10+0 = 109 \rightarrow m$$

$$c^1 \rightarrow 99+10+4 = 113 \rightarrow q$$

$$c^2 \rightarrow 99+10+16 = 125 \rightarrow \}$$

$$c^3 \rightarrow 99+10+64 = 173 \rightarrow j$$

where 0-3 are the positions of 'c' in text[] (as per formula given above). The text 'cccc' becomes 'mq}j' after execution of the above method.

Since, the value of $(power_ex)^i$ increases with the increasing number of character (byte) i.e. with the increasing number of string length, so we have applied the method of Modular Reduction [11][12] to reduce the large integral value to a smaller integral value.

To apply Modular Reduction we apply the following algorithm:

Step 1: $n = power_ex * code * 10$; generate a random number 'n' from code and power_ex

Step 2: calculate n^{th} prime number

Step 3: $i=0$

Step 4: $(power_ex)^i = \text{Mod}((power_ex)^i, (n^{th} \text{ prime number}))$

Step 5: $i=i+1$

Step 6: if $i < \text{length}(\text{text})$ then go to step-4

Step-7: End

Following the above step, we can reduce the value of $(power_ex)^i$ to a significantly smaller usable number.

3) Algorithm for Decryption (Advanced Caesar Cipher)

For this step we basically reverse the process of encryption technique used in the modified Caesar Cipher. And use the following formula:

$$\text{text}[i] = \text{text}[i] - \text{code} - (power_ex)^i$$

Note: If, ASCII value of $\text{text}[i] < 0$, then set $\text{text}[i] = \text{Mod}(\text{text}[i], 256)$; 'i' is the position of each character in the text and $\text{text}[]$ is the message to be encrypted, where $\text{text}[i]$ denotes each character of the $\text{text}[]$ at position 'i'.

B. Encrypt the data using TTJSA:

TTJSA method is a combination of 3 distinct cryptographic methods, namely, (i) Generalized Modified Vernam Cipher Method, (ii) MSA method and (iii) NJJSA method. To begin the method a user has to enter a text-key, which may be at most 16 characters in length. From the text-key the randomization number and the encryption number is calculated using a method proposed by Nath et al. A minor change in the text-key will change the randomization number and the encryption number quite a lot. The method have also been tested on various types of known text files and have been found that, even if there is repetition in the input file, the encrypted file contains no repetition of patterns.

1) Algorithm of TTJSA (Encryption)

Step 1: Start

Step 2: Initialize the matrix $\text{mat}[16][16]$ with numbers 0 to 255 in row major wise.

Step 3: call $\text{keygen}()$ to calculate randomization number (=times), encryption number (=secure)

Step 4: call $\text{randomization}()$ function to randomize the contents of $\text{mat}[16][16]$.

Step 5: $\text{times2}=\text{times}$

Step 6: copy file f1 into file2

Step 7: $k=1$

Step 8: if $k > \text{secure}$ go to Step 15

Step 9: $p=k\%6$

Step 10: if $p=0$ then

call $\text{vernamenc}(\text{file2}, \text{outf1})$

$\text{times}=\text{times2}$

call $\text{njjsaa}(\text{outf1}, \text{outf2})$

call $\text{msa_encryption}(\text{outf2}, \text{file1})$

else if $p=1$ then

call $\text{vernamenc}(\text{file2}, \text{outf1})$

$\text{times}=\text{times2}$

call $\text{msa_encryption}(\text{outf1}, \text{file1})$

call $\text{file_rev}(\text{file1}, \text{outf1})$

call $\text{njjsaa}(\text{outf1}, \text{file2})$

call $\text{msa_encryption}(\text{file2}, \text{outf1})$

call $\text{vernamenc}(\text{outf1}, \text{file1})$ □

$\text{times}=\text{times2}$

else if $p=2$ then

call $\text{msa_encryption}(\text{file2}, \text{outf1})$

call $\text{vernamenc}(\text{outf1}, \text{outf2})$ □

set $\text{times}=\text{times2}$

call $\text{njjsaa}(\text{outf2}, \text{file1})$

else if $p=3$ then

call $\text{msa_encryption}(\text{file2}, \text{outf1})$

call $\text{njjsaa}(\text{outf1}, \text{outf2})$

call $\text{vernamenc}(\text{outf2}, \text{file1})$

$\text{times}=\text{times2}$

else if $p=4$ then

call $\text{njjsaa}(\text{file2}, \text{outf1})$

call $\text{vernamenc}(\text{outf1}, \text{outf2})$

$\text{times}=\text{times2}$

call $\text{msa_encryption}(\text{outf2}, \text{file1})$

else if $p=5$ then

call $\text{njjsaa}(\text{file2}, \text{outf1})$

call $\text{msa_encryption}(\text{outf1}, \text{outf2})$

call $\text{vernamenc}(\text{outf2}, \text{file1})$

$\text{times}=\text{times2}$

Step 11: call function $\text{file_rev}(\text{file1}, \text{outf1})$

Step 12: copy file outf1 into file2

Step 13: $k=k+1$

Step 14: goto Step 8

Step 15: End

2) Algorithm of vernamenc(f1,f2)

Step 1: Start $\text{vernamenc}()$ function

Step 2: The matrix $\text{mat}[16][16]$ is initialized with numbers 0-255 in row major wise order

Step 3: call function $\text{randomization}()$ to randomize the contents of $\text{mat}[16][16]$.

Step 4: Copy the elements of random matrix $\text{mat}[16][16]$ into $\text{key}[256]$ (row major wise)

Step 5: $\text{pass}=1, \text{times3}=1, \text{ch1}=0$

Step 6: Read a block from the input file f1 where number of characters in the block 256 characters

Step 7: If block size < 256 then goto Step 15
 Step 8: copy all the characters of the block into an array str[256]
 Step 9: call function encryption where str[] is passed as parameter along with the size of the current block
 Step 10: if pass=1 then
 times=(times+times3*11)%64
 pass=pass+1
 else if pass=2 then
 times=(times+times3*3)%64
 pass=pass+1
 else if pass=3 then
 times=(times+times3*7)%64
 pass=pass+1
 else if pass=4 then
 times=(times+times3*13)%64
 pass=pass+1
 else if pass=5 then
 times=(times+times3*times3)%64
 pass=pass+1
 else if pass=6 then
 times=(times+times3*times3*times3)%64
 pass=1
 Step 11: call function randomization() with current value of times
 Step 12: copy the elements of mat[16][16] into key[256]
 Step 13: read the next block
 Step 14: goto Step 7
 Step 15: copy the last block (residual characters, if any) into str[]
 Step 16: call function encryption() using str[] and the no. of residual characters
 Step 17: Return

3) Algorithm of function encryption(str[],n)

Step 1: Start encryption() function
 Step 2: ch1=0
 Step 3: calculate ch=(str[0]+key[0]+ch1)%256
 Step 4: write ch into output file
 Step 5: ch1=ch
 Step 6: i=1
 Step 7: if in then goto Step 13
 Step 8: ch=(str[i]+key[i]+ch1)%256
 Step 9: write ch into the output file
 Step 10: ch1=ch
 Step 11: i=i+1
 Step 12: goto Step 7
 Step 13: Return

4) Algorithm for Decryption

Step 1: Start
 Step 2: initialize mat[16][16] with 0-255 in row major wise
 Step 3: call function keygen() to generate times and secure
 Step 4: call function randomization()
 Step 5: set times2=times
 Step 6: call file_rev(f1,outf1)
 Step 7: set k=secure

Step 8: if k<1 go to Step 15
 Step 9: call function file_rev(outf1,file2)
 Step 10: set p=k%6
 Step 11: if p=0 then
 call msa_decryption(file2,outf1)
 call njjsaa(outf1,outf2)□
 call vernamdec(outf2,file2)□
 times=times2
 else if p=1 then
 call function vernamdec(file2,outf1)
 set times=times2
 call function msa_decryption(outf1,outf2)
 call function njjsaa(outf2,file2)
 call function file_rev(file2,outf2)
 call function msa_decryption(outf2,outf1)
 call function vernamdec(outf1,file2)
 times=times2
 else if p=2 then
 call njjsaa(file2,outf1)
 call vernamdec(outf1,outf2)
 times=times2
 call msa_decryption(outf2,file2)
 else if p=3 then
 call vernamdec(file2,outf1)
 times=times2
 call njjsaa(outf1,outf2)
 call msa_decryption(outf2,file2)
 else if p=4 then
 call msa_decryption(file2,outf1)
 call vernamdec(outf1,outf2)
 times=times2
 call njjsaa(outf2,file2)
 else if p=5 then
 call vernamdec(file2,outf1)
 times=times2
 call msa_decryption(outf1,outf2)
 call njjsaa(outf2,file2)
 Step 12: copy the content of file2 to outf1
 Step 13: set k=k-1
 Step 14: Goto Step 8
 Step 15: End

5) Algorithm of function vernamdec(f1,f2)

The algorithm of vernamdec() function is same as vernamenc() function. Here the only difference is that decryption() function is called instead of encryption() function.

6) Algorithm of decryption(str[],n)

Step 1: Start
 Step 2: ch1=0
 Step 3: ch=(256+str[0]-key[0]-ch1)%256
 Step 4: write ch into the output file
 Step 5: i=1
 Step 6: if in then goto Step 12
 Step 7: ch=(256+str[i]-key[i]-str[i-1])%256
 Step 8: write ch into the output file
 Step 9: i=i+1
 Step 10: goto Step 6
 Step 11: ch1=str[n-1]

Step 12: Return

7) **Algorithm of function file_rev(f1,f2)**

- Step 1: Start
- Step 2: open the file f1 in input mode
- Step 3: open the file f2 in output mode
- Step 4: calculate n=sizeof(file f1)
- Step 5: move file pointer to n
- Step 6: read one byte
- Step 7: write the byte on f2
- Step 8: n=n-1
- Step 9: if n>=1 then goto step-6
- Step 10: close file f1, f2
- Step 11: Return

8) **Njjsaa Algorithm**

Nath et al. [2] proposed a method which is basically a bit manipulation method to encrypt or to decrypt any file.

The encryption number (=secure) and randomization number (=times) is calculated according to the method mentioned in MSA algorithm [1].

- Step 1: Read 32 bytes at a time from the input file.
- Step 2: Convert 32 bytes into 256 bits and store in some 1- dimensional array.
- Step 3: Choose the first bit from the bit stream and also the corresponding number(n) from the key matrix. Interchange the 1st bit and the n-th bit of the bit stream.
- Step 4: Repeat step-3 for 2nd bit, 3rd bit...256-th bit of the bit stream
- Step 5: Perform right shift by one bit.
- Step 6: Perform bit(1) XOR bit(2), bit(3) XOR bit(4),...,bit(255) XOR bit(256)
- Step 7: Repeat Step 5 with 2 bit right, 3 bit right,...,n bit right shift followed by Step 6 after each completion of right bit shift.

9) **Msa (Meheboob, Saima, Asoke) Encryption And Decryption Algorithm**

Nath et al. (1) proposed a symmetric key method where they have used a random key generator for generating the initial key and that key is used for encrypting the given source file. MSA method is basically a substitution method where we take 2 characters from any input file and then search the corresponding characters from the random key matrix and store the encrypted data in another file. MSA method provides us multiple encryptions and multiple decryptions. The key matrix (16x16) is formed from all characters (ASCII code 0 to 255) in a random order.

The randomization of key matrix is done using the following function calls:

- Step-1: Function cycling()
- Step-2: Function upshift()
- Step-3: Function rightshift()
- Step-4:Function downshift()
- Step-5:Function leftshift()

N.B: Cycling, upshift, downshift, leftshift, rightshift are matrix operations performed (applied) on the matrix, formed from the key. The detail description of the above methods are given in MSA [1] algorithm.

The above randomization process we apply for n1 times and in each time we change the sequence of operations to make the system more random. Once the randomization is complete we write one complete block in the output key file.

C. Encrypt the Data Using Bit Wise Rotation Reversal technique:

In the Bit Reversal algorithm [13], proposed by Panduranga H. T. and Naveenkumar S. K., the pixel of the image, which is to be encrypted, is converted to its binary format and the number of bits, which is equivalent to the symmetric key (password) are reversed. In our method, SJA, we have applied the same concept but the only difference is that the method used in Bit Reversal is for encrypting Images, whereas we have modified the method, so that it can be used to encrypt any type of file.

In this method, a password, which is given along with input file, is used to measure the effective length of the password and will be used in our modified bit rotation and reversal technique. Value of each byte of output file, which is encrypted using the previous techniques (Modified Caesar Cipher + TTJSA), is converted into equivalent eight bit binary format. Now length of password is considered for bit rotation and reversal. i.e., Number of bits to be rotated to left and reversed will be decided by the length of password. Let L be the length of the password and L_R be the number of bits to be rotated to left and reversed (i.e. L_R is the effective length of password). The relation between L and L_R is represented by equation (1).

$$L_R = L \text{ mod } 7 \text{ ----- eq. (1)}$$

where '7' is the number of iterations required to reverse entire input byte.

For example, CH_{in} is the value of any random character (byte) of the output encrypted file. $[B_1 B_2 B_3 B_5 B_6 B_7 B_8]$ is equivalent eight bit binary representation of CH_{in} .

$$\text{i.e. } CH_{in} \text{ -----} > [B_1 B_2 B_3 B_5 B_6 B_7 B_8]$$

If $L_R=5$, five bits of input byte are rotated left to generate resultant byte as $|B_4 B_7 B_8 B_1 B_2 B_3 B_5 B_6|$. After rotation, rotated five bits i.e. $B_4 B_7 B_8 B_1 B_2$, get reversed as $B_2 B_4 B_7 B_8 B_1$ and hence we get the resultant byte as $|B_4 B_7 B_8 B_2 B_1 B_3 B_5 B_6|$. This resultant byte is converted to equivalent decimal number CH_{out}

$$\text{i.e. } |B_4 B_7 B_8 B_2 B_1 B_3 B_5 B_6| \text{ -----} > CH_{out}$$

where CH_{out} is the value of output byte of resultant encryption.

Since, the value of each character is dependant on the bit pattern, application of *Bits Rotation & Reversal* generates new value of each character and hence generates the encrypted file. Table 1 (a, b) show input and encrypted character respectively. For this encryption process given password is "1234" whose effective length (L_R) = 4.

Note: - If $L=7$, then $L_R=0$. In this condition, the whole byte value of character gets reversed.

Table 1 (a, b) [Password = 1234]

| a) Input Byte | b) Output Byte |
|--------------------------------------|--|
| 'A' (ASCII value = 65) (01000001) | DC2 - Device Control 2 (ASCII value = 18) (00010010) |
| 'b' (ASCII value = 98) (01100010) | '&' (ASCII value = 38) (00100110) |

III. RESULTS AND DISCUSSIONS

This method, SJA is used to encrypt different types of data and few results are given below:

| Message | Encrypted Message |
|-------------------------------------|--|
| ASCII character – 4 (1024 times) | <pre> q<i± IĀâ}Ē%† \$&i½,← H v...S]ÉI±B,5x^agī¶ Qy_T †» ŌÓ ðu°é † Ō< † "f̄=+ °@wá Ø ôûSÆp–Í5Mñ\$ Ú–p–"üLŠĐE'Ú'® Çy† J ¶ 9 †?ĒmUIŌJ@°ĒđĀ o'–IHāk*Ō† @Ñ1»— %aN:T 3gFĒ Cf×). ā*ĀŪ–j°óó %q—"— oC<ôZĀ_Ā9SXu.!ÑĀ ¶ vwŌ> Ōœ9,E(μ bH(T_i‡òĭ.‡E'– :Ū† ě@"f& ^a–â>v† † }<uu~KúE½2œkŪ •%~ ēú@^xĬμĒE,#fpJ M š>×½z æ<βĭ^ †#}iā L† LĀ(é\$ °V±3~@...ává #†~c[±] >–³āO\$A¹nĐ71□ ÷ù‡3×u J } Ē†°ĀĪJ1.,– pŌÑr Ō ½ à...Ūù+VF^L ôAC– =G†,x, š=U@æ±iŌ°Eĭ2j{ŌšcŌĀ >QFUŌi+Çç R– ! Ç† :?48T,qĒ/°r ½] xĀ©ĒôŠaĀ,IŌçŌ°~N•3 • }ē,™W)?B %o jŸ@Q Āq:úμ}tĒĒ^B> Ø,,)aU'i Ēp †û,,%œæ~d ŪŪ0Xa1P'Pá@d– A<.,– Ñ%(èàÇo*T2Ÿ ÇE&W_r 5 → ¶ ēŪuí7 9Q»ānX³βμ0 O fŸ:\$ Ē_r † † †pĀK<† ēi Ō o...@ê*D,Āj2† ¼úhœ \$Ā3°Ñ? †è\$† ĀésE'isFŸù ŸĒÛ7ZiŸĀVĀē – - Ÿ– ùem 'HíđŪ] Lf 'ŌĪçxŌ/ZW K† œ;Z!! † Ø àLp ©_r 3Īo%† † 0 °Ēý@–Ēē I°%đŸs %o–pŌîç2BXŌĒĒTLç{ĪÑ ùç†r†f4!!)0–OKýPŪ'® Ūívx¾ «oĀŪŪĒĪđ°%W1{ Ÿēlq)cĒ#• • ôâç† Āz> Bof?5J=Ç};Y!A%âŪŪ!u'• </pre> |

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| | <pre> q– ÑœX–irA<¼°ē²iā¶"zh□ c!† {Ū#Ā àûE,§#{(Ĳ éâ"z±t INŠ∅ø...æ<L¾ú@† ††<^ó 'āĀ–fz>I2\$PāQ \$'™}– Í"¶āÇ†0,ē§\$<†V¼ dd □ Gâ_r đĀ9 {<)R@jŸ† ē đ0³ g– ,āE '–āî;Ā!KĀY_T 3đP'†L¹°ā! E± h† Ī ?V}Zĭ4óāŠœ Ÿ Ø Ÿb ē'ŸāI–Cé ~16Z}Bj† ŌwsH†róĭ ē–Ā!4iAixÑ{SNμ×iāu Ū^ ē†¶Ū </pre> |
| <pre> ABCDABCDABCD BCDABCDABCD </pre> | <pre> ↑ ró%o Ł† d□ 0– řĒn¾Ūh œ²m– œĪS6-%,%pĀq@ŪĐ—#~û ā)HŸ † –7' t• ^ E–pĒ "E±> á “ w–üiā –Ā®\• - đC AŸ©"&~à@ĭ,, BĀĀ}t5> ēĭ? Ó@j%o† μ□– ZŠ ē^L X4Ÿ□ ©" f æ~Ū %oŪĀŪ–q%oFý'p , Lp¾j8ù– ¶ i8}©J[±] #āĒ°i^L ŌbúBZ IřŪ!¶ † W =◀u §¶m/l 7‡ N^– Cw\† T◀¶ c-RT ; Mu–Īš Ō.† ŪoJ KQ† āUr ð nŪš. 2"°H%,◀s‡}>ĀWĪ_ ĐŌř! 4 ŸV>T\$L– >r J_T † r> g\$† ĀL>iĪh† blU°ñ@ŸŠ∅œò@ç;† T7* %Āù>Ā XùLw5□ e-@@ ?GoE^L Ō 'ò/ Ī Ū%ç–ĪĐ b±#üzFŌGæ4,,L"! †P!! " ŌřœÑ#ç –>2 Çē- UòS[p:ē† 'xq5t^:† –iāŠç đ"Ō< P †v"†1Ÿ^ŌGKè... ×ür,Ÿ K< #X...rŪ9¼ W'-,aM > e¹×\$-q-× »DāL7 ~i 3wàp p7)1fš †dĒĀ–òl- %Ē‡}iR##x}8m~ftu~¼½b ±ŌG¶† ‡D*ŸM· iŌ:ĒÇE </pre> |

| | |
|---|--|
| ABCDABCDABCD BCDABCDABCD ABCDABCDABCD BCDABCDABCD (256 times ABCD; total 1024 bytes) | y4'^δÀt • éªE‡= δw†VS JÙÒÙ'3~ ^\ ±çof QôTà®± & ã>τ ' 6'I%o zán %okQw\$ P eƳ'— ŸÇšYÚ\$,°τ ®m• Ó₁ τ R- »t².}².i→ :† H6T∞ÖtÁ °çiš;] ,hNÆD# u»ƳQZ zX'™ Ÿ τ ïúÁO• jœ“ç -† '½↑ ã ^iŸyX ↓ ó Gé°dPŕ <A'OkUE¾Gi~¹ L Ñãð(ðG <ÀX²Í[ã# ¹ F© ?8- ...jœfhÛ÷TaÇVO Èj-e^ Þ32¼τ =Bc¹ %^ñ %y Åæ\$'çj%<† y~† ,çqéÛÜ L'Ô&>' ,ã<t\$<kùj=ÇmãPt ôÿ<{ WJHÛ(âÛ• ‡wM{ HÚš“u7 pd' & ç¼¹ - rŸ ç i,a±çq HD'ƳhI- LTp+f ñ Fw'τ `ë ÁOüDoY† _ K% † u~† ° † ← °6y,Í-ã<Cj©₁ sä•8<Cù %oççÀCÛôðf >,¹éÀ@<† ê @â#Æÿ^ ,X ¶C=i¾éƒ ü ?%o ÇEls ÓÁ“^ñð2 ã B Þ- šð,ZC“◀₁ Vê)ãé‘÷ê~šUQƒ »Óu- Sz¹ üÛÛ,çãl-~^ ã † “ggî ±i; |
|---|--|

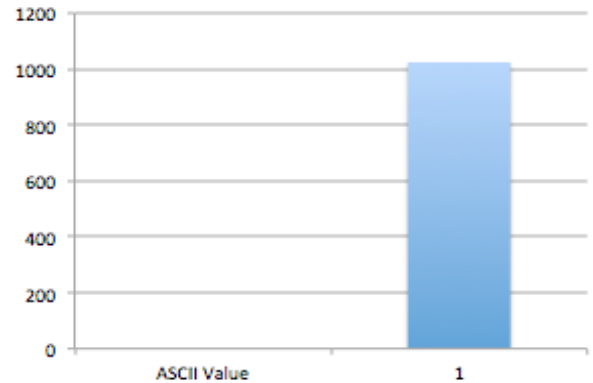


Fig 1.1: Spectral Analysis of Frequency of Characters of 1024 ASCII Value(1)

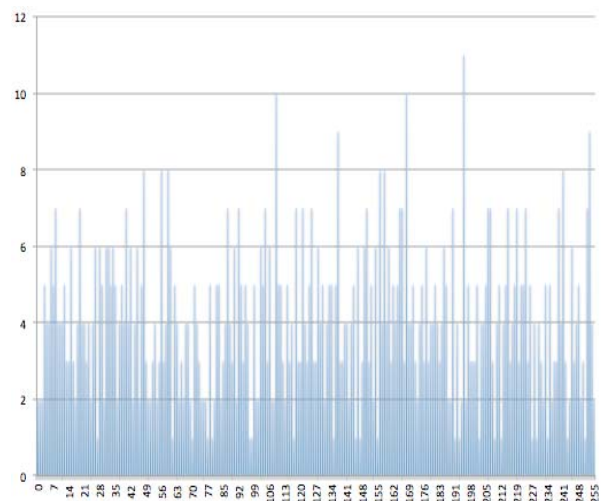


Fig 1.2: Spectral Analysis of Frequency of Characters of Encrypted data of 1024 ASCII value (1)

As 2nd Test case we chose a random text file. The spectral analysis of the frequency of characters of the text file is shown in Fig 2.1 and Fig 2.2 shows the spectral analysis of frequency of characters of encrypted text.

IV. SPECTRAL ANALYSIS AND CRYPTANALYSIS

One of the classical cryptanalysis method used is by detecting the frequency of characters in the encrypted text (message). So to test the effectiveness of SJA method, spectral analysis of the frequency of characters are closely observed. Using this method, SJA, we ran many analysis and tested different strings as input and used various methods of cryptanalysis. To show the usefulness and integrity of this cryptographic module, we used spectral analysis of the frequency of characters.

First, as a test case we chose, a file which contained 1024 ASCII value (1) and used this method to encrypt the data. Fig 1.1 shows the spectral analysis of frequency of characters of 1024 ASCII value (1) and Fig 1.2 shows the spectral analysis of frequency of characters of the encrypted data.

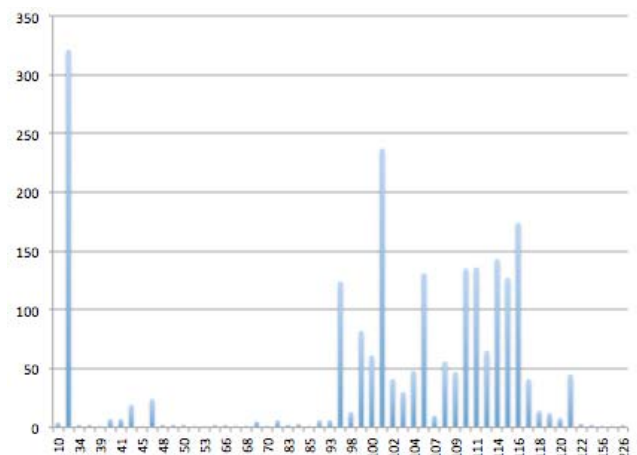


Fig 2.1: Spectral Analysis of frequency of characters of an ordinary text file

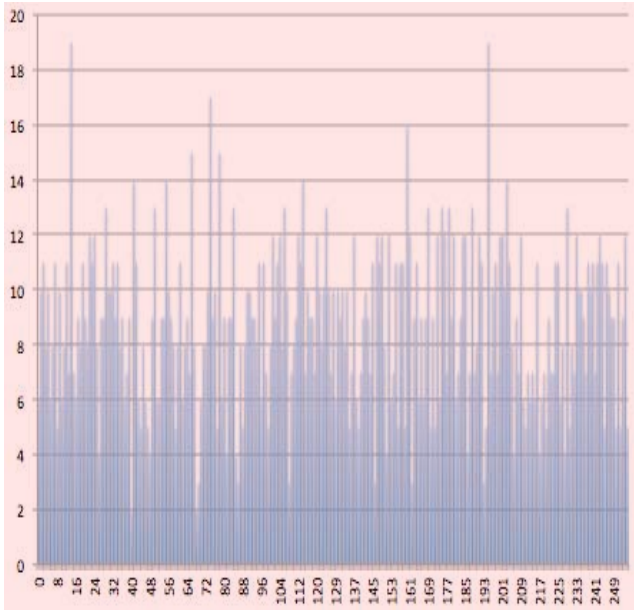


Fig 2.2: Spectral Analysis of frequency of characters of the encrypted text file

Thus from the above spectral analysis it is evident that the method, SJA, used here is very effective and there is no trace of any pattern in the encryption technique.

Since this cryptographic technique uses multiple bit and byte level encryption, which again occurs multiple times, for this reason, the method used here is unique and almost unbreakable because there is no trace of any pattern. And this method is also effective against both Differential Cryptanalysis (Differential Attack) and Brute-Force Attack.

V. PERFORMANCE ANALYSIS

The performance of the SJA - Algorithm are tested extensively by taking different inputs. The following table shows the performance (on basis of time taken):

| INPUTS | TIME TAKEN TO ENCRYPT | TIME TAKEN TO DECRYPT |
|---|-----------------------|-----------------------|
| 64 Bytes of any type of Message (Generally text containing Alpha-Numeric) | 1 sec | 1 sec |
| 128 Bytes of any type of Message (Generally text containing Alpha-Numeric) | 1 sec | 1 sec |
| 512 Bytes of any type of Message (Generally text containing Alpha-Numeric) | 2 secs | 2 secs |

| | | |
|---|---------|---------|
| 1024 Bytes of any type of Message (Generally text containing Alpha-Numeric) | 6 secs | 6 secs |
| 2048 Bytes of any type of Message (Generally text containing Alpha-Numeric) | 10 secs | 10 secs |

Thus from the above table we can see that as the number of bytes in a message increase, the time taken to encrypt or decrypt also increases. The following graph shows ‘the increase in time’ Vs ‘the increase in bytes of the message’:

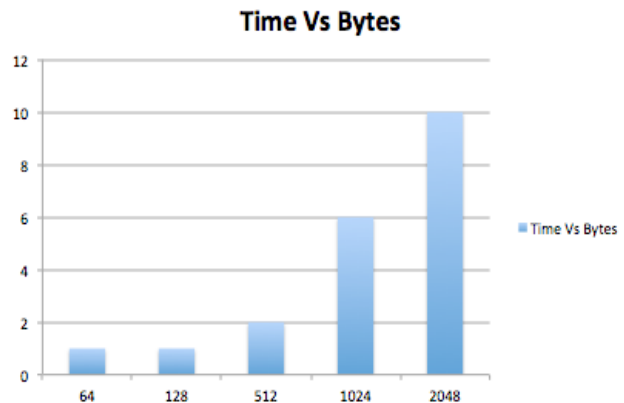


Fig 3: Time Taken to Encrypt and Decrypt Vs Bytes in a Message

From the above graph, it was found that time increases significantly with the increases in the number of bytes in the plain text file (with alphanumeric character). It is also evident that for maximum of 128 bytes per block of message (data), SJA - Algorithm works well and takes only 1 second time for encryption and decryption. For this reason, SJA – Algorithm can be used for network security also and is best used as 128 byte block cipher.

Since, Modular Reduction is used in this SJA - Algorithm, the time taken for encryption and decryption also increases because Modular Reduction of large numbers needs massive computation. For this reason, SJA - algorithm can not be used for large files. But, this problem can be easily solved by integrating software and hardware acceleration to speed up the computation of Modular Reduction.

VI. CONCLUSION AND FUTURE SCOPE

In the present work we use three different algorithms to make the encryption process unbreakable from standard cryptographic attack. Our spectral analysis shows that our method is unbreakable We have applied our method on some known text where the same character repeats for a

number of times and we have found that after encryption there is no repetition of pattern in the output file. We have tested this feature closely and have found satisfactory result in almost all cases. This has been possible as we have used modified Caesar Cipher method with polynomial function, modified Vernam Cipher method with feedback mechanism and also NJJSA and MSA methods, where we use mainly the bit manipulation. We propose that this encryption method can be applied for data encryption and decryption in banks, defense, mobile networks, ATM networks, government sectors, etc. for sending confidential data. The above method, SJA, may be further strengthened using additional bit manipulation method.

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